Homework Set 1 CSCI 204.01 Prof Meng Suggested Solution

Assigned: Monday, 02/10/2020 Due: Monday, 02/17/2020

Please complete the following homework. While discussions are encouraged, everyone must complete their work themselves. Submit your work to Moodle with one single file, either in PDF, or in Word by the deadline.

1. Given two Python lists, one is a collection of city names **city_name**[], the other is a collection of the population in these cities **city_pop**[]. Create a dictionary **d** that uses the city name as its key and the population as its value.

```
d = { }
for i in range(len(city_name)):
    d[city_name[i]] = city_pop[i]
```

2. Given the following partial class definitions for **College** and for **Major** of various majors in a college, write a class function to compute the total number of students in the college. class Major:

3. Given the following Python code segments, identify the complexity using the big-Oh notation. Explain briefly your answers.

```
for k in range(len(my nums)):
                              min = my nums[k]
                              min index = k
                              for m in range(k+1, len(my nums)):
                                                 if my nums[m] < min:
                                                                   min = my nums[m]
                                                                min index = m
                  swap(my nums, k, min index) # swap my nums[k] and
           my nums[min index]
                  This is (n^2) where n is the length of the list. We'd go through
           a nested loop, where n is the length of the list.
c. # some recursion, try out some small numbers first
           def fun(n):
                      if n <= 0:
                                         return n
                      else:
                                         return fun(n-2) + 2*fun(n-1)
           T(n) = T(n-2) + 2*T(n-1) = [T(n-4) + 2*T(n-3)] + 2*[T(n-3) + 2*[T(n-3)] + 2*[T(n-
           2*T(n-2)] = ... = T(n-2k) + 2^{k*T}(n-(2k-1)) + 2^{k*T}(n-k) + ...
           The sequence will come to a stop when k = n/2 with a series of
           sum in the form of 2^k, equivalent to k^2^k, so this is
           exponential term O(2^n)
```

4. We studied various recursive programs. One of the well-known example is the Tower of Hanoi. A sample code for Tower of Hanoi is as follows.

```
def tower of hanoi( n, src, dest, helper ):
```

```
if n == 1:
    print( 'moving ', n, ' from ', src, ' to ', dest )
else:
    tower_of_hanoi( n-1, src, helper, dest )
    tower_of_hanoi( 1, src, dest, helper )
    tower_of_hanoi( n-1, helper, dest, src )
Try out the program with n = 3, 6, and 10. That is
```

tower_of_hanoi(3, 0, 1, 2)

```
tower_of_hanoi(6, 0, 1, 2)
tower_of_hanoi(10, 0, 1, 2)
```

and count how many lines of output each of the execution generates. Using this to estimate the complexity of the program, i.e., O(f(n)), what is f(n) in this case?

The easiest way of estimate the lines of output is to run at the Linux command line

% python tower_of_hanoi(3, 0, 1, 2) | wc % python tower_of_hanoi(3, 0, 1, 2) | wc % python tower_of_hanoi(3, 0, 1, 2) | wc

Here **wc** is a Linux command that counts the number of lines. You can also do it within **spyder** or **idle**. You can copy and paste the output to a text file and then find out how many lines of output. When n = 3, we have 8 lines of output, n = 6, we have 64, n = 10, we have 1024, so this is O(2^n)

5. Write a function to compute the sum from **1** to **n** using recursion.

```
def sum(n):
    if n == 0:
        return 0
    else:
        return n + sum(n-1)
```

6. Write a recursive function to return a list consisting of multiples of 4 for a given parameter **n**. For example, **multiple_of_four(3)** returns **[4, 8, 12]**, **multiple_of_four(5)** returns **[4, 8, 12, 16, 20]**.

```
def multiple_of_four(n):
    if n == 1:
        return [4]
```

```
else:
```

```
return multiple_of_four(n-1) + [n*4]
```

7. Given the following recursive function, show what is printed and explain briefly why.

```
def fun six ( counter ):
      if counter ==0:
            return
      else :
            print ('Before '+str( counter ))
            fun six ( counter - 1)
            print ('After '+str( counter ))
If we call the function fun six() with a parameter n, e.g., 3, we'd see
the 'Before' message printed in reverse order, e.g., 3,2,1 while the
'After' message printed in ascending order, e.g., 1,2,3 because the
order of the recursive calls are made. Here is a sample run
Before 3
Before 2
Before 1
After 1
After 2
After 3
```

8. Given a singly linked list definition, UserList and ListNode, as discussed in the lectures, write an overloading function _____add___() for the UserList that allows the use of list = list + node

```
def __add__(self, node):
```

```
return self.insert(node) # assume the insert() is there
```

9. For the same singly linked list definition in Problem 8, write an overloading function ____() that returns the length of the list.

```
def __len__(self):
    c = 0
    node = self.head
    while node != None:
        c += 1
        node = node.next
    return c
```

10. Write a function to delete a node from a doubly linked list. (The topic of doubly linked list will be discussed on Wednesday 2/12.)

```
def delete(self, node):
    place = self.find(node) # find the node in the list
```

```
if node != None: # in the list
if node == self.head: # delete the first one
    self.head = node.next
    self.head.prev = None
elif node == self.tail: # delete the last one
    self.tail = node.prev
    self.tail.net = None
else: # the node to delete is somewhere in the middle
    node.next.prev = node.prev
    node.prev.next = node.next
    node = None
```