

CSCI 204: Data Structures & Algorithms

ADT: Operator Overloading

Quick review: operator overloading

- We have learned some basic features of OOP, e.g. the Date class
 - Constructor: `def __init__(self)`
 - String representation: `def __str__(self)`, or `def __repr__(self)`
 - Method within a class: `def is_leap_year(self)`
 - Object attributes (object variables ...) `self.year`, `self.month`, `self.day`.
- We will discuss and practice the topic of operator overloading

What does it mean?

- An operator such as `'=='`, `'>` can be associated with a function to reflect its meaning.
- E.g., in our Date class, we have three functions
 - `is_equal()`, `is_before()`, `is_after()`
 - When comparing two Date objects, we'd say `d1.is_equal(d2)`, `d1.is_before(d2)`, `d1.is_after(d2)`
- If we implement operator overloads for the Date class, we could have said
 - `d1 == d2`, `d1 < d2`, `d1 > d2`

Overloading `'=='`

```
class Date:
    def __eq__(self, other):
        if self.year == other.year and \
            self.month == other.month and \
            self.day == other.day:
            return True
        else:
            return False
```

If the function `is_equal()` has been defined, we can do one of the following...

```
class Date:
    def __eq__(self, other):
        if self.is_equal(other):
            return True
        else:
            return False
```

```
class Date:
    def __eq__(self, other):
        return self.is_equal(other)
```

Overloading `'>`

```
class Date:
    def __gt__(self, other):
        return self.is_after(other)
```

Overloading `'>='`

```
class Date:
    def __ge__(self, other):
        return self.is_after(other) or \
            self.is_equal(other)
```

Other operator overload

- Python supports more operator overload
 - `__ne__` : not equal
 - `__contains__` : membership check
 - `__add__` : add to the collection (+)
 - `__iadd__` : for +=
- See `album_app` demonstration

```
album_app.py, album_app, song.py, date.py
```

Build a Rational ADT

- A rational is a fraction number such that both the numerator and the denominator are integers, relatively prime to each other
- Build a Rational ADT such that
 - Support common arithmetic rational operations
 - x, y are two Rationals, $x+y, x-y, x*y, x//y$ are all Rationals
 - Support comparisons
 - x, y are two Rationals, $x < y, x <= y, x == y, x >= y, x > y$ returns a True or False

Help function gcd(a,b)

- You'd need a **gcd(a,b)** function that returns the greatest common divisor of two integers **a** and **b**

```
def gcd(self, a, b):
    """ Return the greatest common divisor of a and b
    """
    if b == 0:
        return a
    else:
        return self.gcd(b, a % b)
```

Examples of Rational

- $x = 2/3, y = 1/2$
- $x + y == 7 / 6$
- $x - y == 1/6, y - x == - 1/6$
- $x * y == 1/3$
- $x // y == 4/3$
- $x > y$ True
- $x >= y$ True
- $x == y$ False
- $x < y$ False
- $x <= y$ False
- Test program is on the course website, once finished your implementation, try it out.